

#abitofmathseveryday

March Ligher Maths Calendar

5 6 If A is an State the equation of acute angle

Find the equation vertices A(-1, 6), restrictions of the tangent at the B(7, 1) and C(11, 3). on the domain for the graph of the with sinx = $\frac{1}{\sqrt{3}}$ point (-8, 1) on the Calculate the the function; inverse function circle find the exact equation of the for $y = 4^x$. $g(x) = \sqrt{2x+1}$ $x^2 + y^2 + 4x - 6y - 2 = 0$ altitude from A. 10 12 State why a limit Calculate the Calculate the Find the centre

coordinates of the stationary points on the curve

 $h^{-1}(x)$, for; $h(x) = x^3 + 2.$ value of cos2x. Calculate the which f'(x) = 1 - 2xlength of the passes through the line joining (-3, -1)point (3, 8). and (0, -5). Find f(x).

exists and find the gradient of a limit of the straight line which and radius for the recurrence relation makes an angle of circle 120° with the positive $u_{n+1} = 0 \cdot 2 u_n - 3$. $(x-7)^2 + (y+3)^2 = 25$ direction of the x-axis. 15 14 Find the equation of the line which Differentiate is perpendicular to the line with equation

The equation $x^2 + kx + 2k - 1 = 1 - x$ has equal roots.

17 Write $y = -3x^2 + 12x + 1$ in the form

 $y = x^3 - 12x + 9$

& determine nature.

18 Find the equation of the tangent to the curve $y = 3x^2 - 7x$ where x = -1.

19 Solve the quadratic inequality $x^2 - 2x - 80 > 0$

A recurrence

relation is

 u_{10} = 12, calculate u_{12}

Calculate the

A curve for

inverse function,

 $u_{n+1} = \frac{1}{4}u_n + 3$. If

defined as

the following; $(2x-5)^4$ 21 What are the values y = a cos bx° + c

Find the value of k. 22 Show that R(0, 1, 2), S(5, 11, -13) and T(11, 23, -31) are collinear and find the

 $y = a(x+b)^2 + c.$ Factorise the following polynomial

The vectors $\underline{\mathbf{u}} = \begin{pmatrix} k \\ -2 \end{pmatrix}$ and $\underline{\mathbf{v}} = \begin{pmatrix} 0 \\ 10 \\ k \end{pmatrix}$ 25 The curve $y = x^3 - 4x^2 + x + 6$ intersects the x-axis at points (-1, 0) (2, 0)

20 Solve the following equation $\log_8(2x+1) = 2 - 4\log_8 2$ The equation of the cubic shown

is of the form 1

y = k(x + a)(x + b)(x + c).

What is its equation?

2y - 2x = 1 passing

through (-4, 10).

and 27 Solve the equation $3\cos 2x = \cos x - 1$

for $\pi < x < 2\pi$

of a,

ratio in which S divides RT. 28 Show that the line y = x - 4does not intersect

the parabola with

 $y = x^2 - 2x + 6$.

equation

 $f(x) = x^3 - 21x - 20$ Two variables, 29 x and y, are log₈y ∧ connected by the law $v = a^x$.

Find the value of a.

are perpendicular. What is the value of k? 30 Express $cosx^{\circ} + sinx^{\circ}$ in the form $ksin(x-a)^{\circ}$ where k > 0

and 0 < a < 360.

and (3, 0). Calculate the shaded area. 31 For the function $f(x) = \frac{\sqrt{x}+1}{x},$ find f'(4).